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Fractal Quantum Electrodynamics and Photon Propagation Using the McGinty Equation

Chris McGinty

Founder of Skywise.ai, Greater Minneapolis-St. Paul Area, USA.

*Correspondence author

Chris McGinty,
Founder of Skywise.ai,
Greater Minneapolis-St. Paul Area,
USA.

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Abstract

This hypothesis investigates the application of the McGinty Equation to fractal quantum electrodynamics (QED), proposing that photon propagation and electromagnetic interactions exhibit fractal properties. The primary objective is to understand how fractal geometry influences the behavior of photons and the dynamics of electromagnetic fields, providing new insights into light-matter interactions and the nature of electromagnetic phenomena at quantum scales.

Introduction

Quantum electrodynamics (QED) is the fundamental theory describing the interaction of light and matter. Traditionally, QED is formulated in smooth spacetime, but this hypothesis extends the framework to include fractal dimensions. By applying the McGinty Equation, we aim to explore how fractal geometry affects photon propagation and electromagnetic interactions, potentially revealing new principles governing QED processes.

Mathematical Framework**Fractal-modified Maxwell's Equations**

$$\begin{aligned}\nabla \cdot \mathbf{E} &= \rho / \epsilon_0 \cdot |\mathbf{x}|^{d_f} \\ \nabla \cdot \mathbf{B} &= 0 \cdot |\mathbf{x}|^{d_f} \\ \nabla \times \mathbf{E} &= -\partial \mathbf{B} / \partial t \cdot |\mathbf{x}|^{d_f} \\ \nabla \times \mathbf{B} &= \mu_0 \mathbf{J} + \mu_0 \epsilon_0 \partial \mathbf{E} / \partial t \cdot |\mathbf{x}|^{d_f}\end{aligned}$$

Fractal-modified Quantum Electrodynamics Action

$$S = \int d^4x \left(-\frac{1}{4} F_{\mu\nu} F^{\mu\nu} + \bar{\psi} (i \gamma^\mu D_\mu - m) \psi \right) \cdot |\mathbf{x}|^{(D-d_f)}$$

Fractal-modified Wave Equation for Photons

$$\square A^\mu = \mu_0 J^\mu \cdot |\mathbf{x}|^{d_f}$$

Expected Results**Photon Propagation**

$$A^\mu(\mathbf{t}, \mathbf{x}) \propto |\mathbf{x}|^{d_f}$$

Electromagnetic Field Correlation Functions

$$\langle A_\mu(\mathbf{x}) A_\nu(\mathbf{0}) \rangle \sim |\mathbf{x}|^{-(2(D-d_f))}$$

Scattering Cross-Sections

$$\sigma(\mathbf{E}) \sim E^2 (d_f - D)$$

Experimental Proposals

1. Photon Scattering Experiments: Investigate deviations from standard QED predictions in photon scattering experiments for fractal signatures.
2. Electromagnetic Field Studies: Measure the behavior of electromagnetic fields in various materials to detect fractal influences.
3. Quantum Optics Experiments: Study the propagation of light through fractal-shaped optical setups to observe fractal effects.
4. Cosmic Photon Observations: Analyze the propagation of cosmic photons to detect fractal structures in their paths.

Computational Tasks

1. Simulation of Fractal QED Systems: Implement simulations to model the behavior of photons and electromagnetic fields with fractal dimensions.
2. Monte Carlo Methods: Use Monte Carlo integration to study the properties of fractal-modified QED interactions.
3. Numerical Solutions: Solve the fractal-modified Maxwell's and wave equations for photons numerically.

Theoretical Developments Needed

- Develop a comprehensive theory of fractal QED.
- Extend existing QED models to incorporate fractal dimensions.
- Formulate new mathematical tools to describe fractal-modified electromagnetic interactions.

Key Research Focus Areas

- Precision measurements of photon propagation and scattering in fractal-modified systems.
- Development of mathematical models for fractal QED.
- Experimental validation of fractal patterns in photon and electromagnetic field interactions.
- Theoretical work on integrating fractal dimensions with QED.

Conclusion

This hypothesis proposes a novel framework for understanding quantum electrodynamics and photon propagation through fractal dimensions. By exploring the unique properties of electromagnetic interactions, we aim to uncover hidden aspects of light-matter behavior, providing new insights into the fundamental nature of photons and electromagnetic fields.

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